# Machine Learning in QM experiments

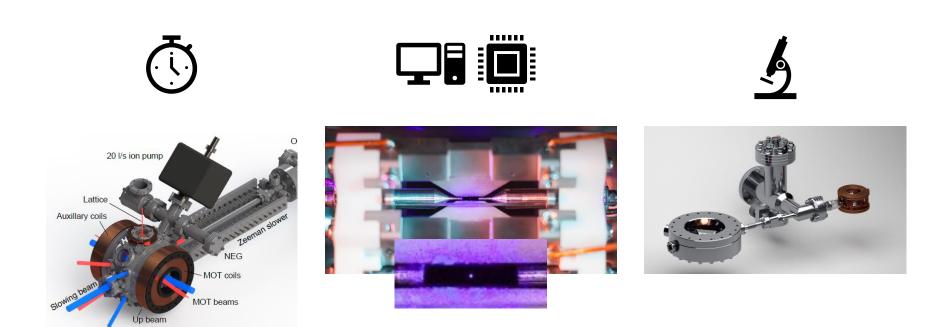
DR. ELLIOT BENTINE



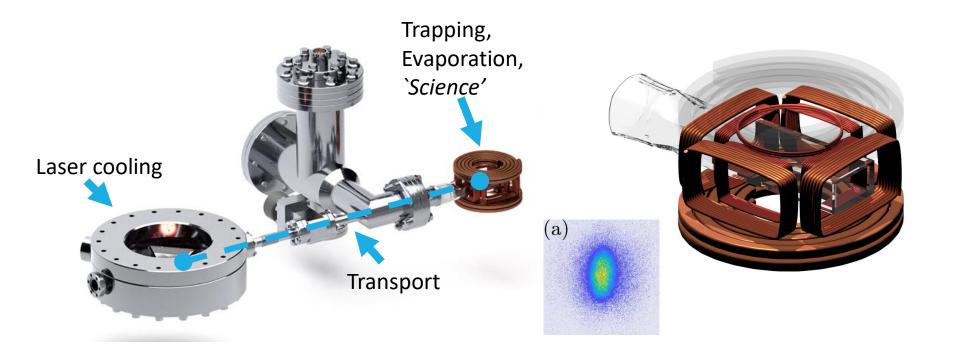
### Aims of this talk

- Give an appreciation of the **complexity** of modern quantum mechanics experiments.
- Understand **why** they are well suited to machine learning techniques.
- Showcase examples where machine learning has been used to optimise these experiments.

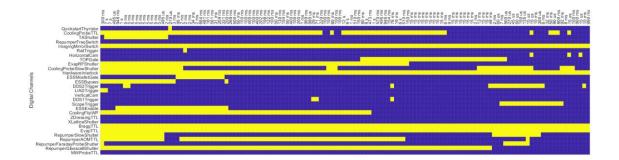
#### Why build these experiments?



#### A typical apparatus

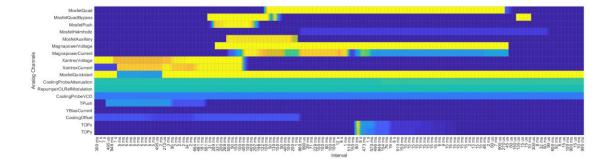


#### A typical sequence





- Large number of experimental parameters.
- Complex sequence in timedomain.
- Vast parameter space.
- ...but already computer controlled!



# Machine learning: optimisation

PRODUCING ULTRACOLD GASES

### Why machine learning?

- Learner acquires an **intuitive understanding** of how an experiment behaves with no *a priori* model.
- **Unbiased**, led only by the data itself. May find counter-intuitive and unexpected solutions.
- **Patience:** Can meticulously and rigorously explore a parameter space, without distraction.
- Optimisation frees experimentalists to think about the physics.

#### Two workhorse techniques:

Evaporative cooling

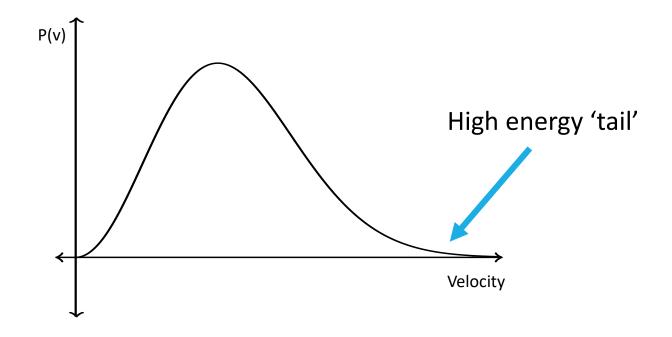




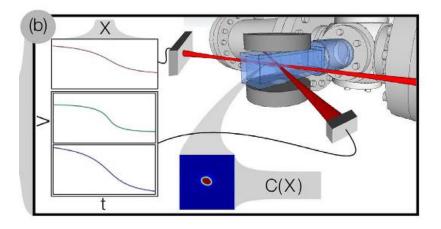
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#### Evaporative cooling

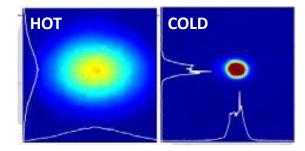


# Optimisation of evaporative cooling



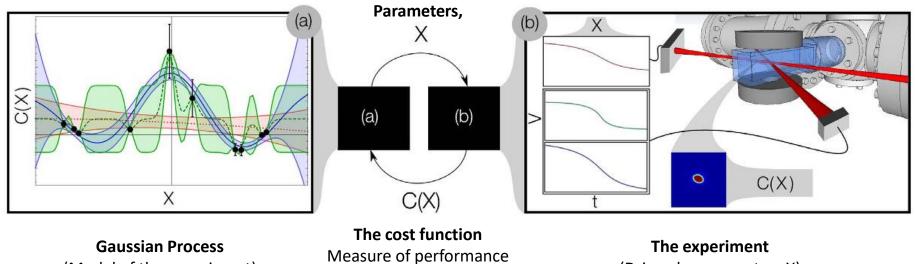
Measure temperature by imaging the atom distribution after time-of-flight → provides a means to measure performance

- Atoms confined through the dipole force.
- Trap formed by red-detuned laser beams.
- Trap depth proportional to the intensity of the laser beams.
  - Maximum here of ~70 uK
- Evaporative cooling by ramping the laser beam intensity.



### Optimisation of evaporative cooling

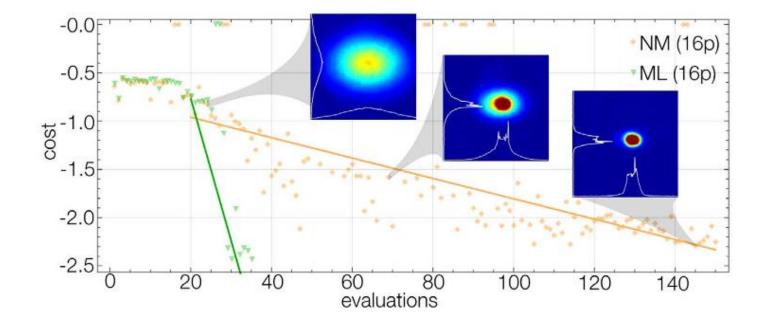
- Goal: Maximise phase space density at the end of evaporative cooling  $\rightarrow$ 0 produce colder, denser clouds
- Wigley et al model the experiment as a **Gaussian Process**.



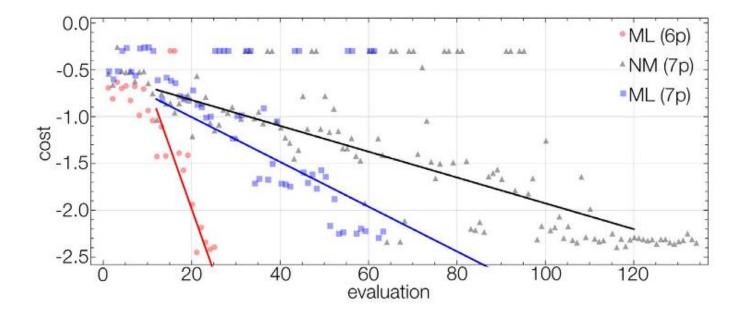
(Model of the experiment)

(Driven by parameters X)

# Optimisation of evaporative cooling

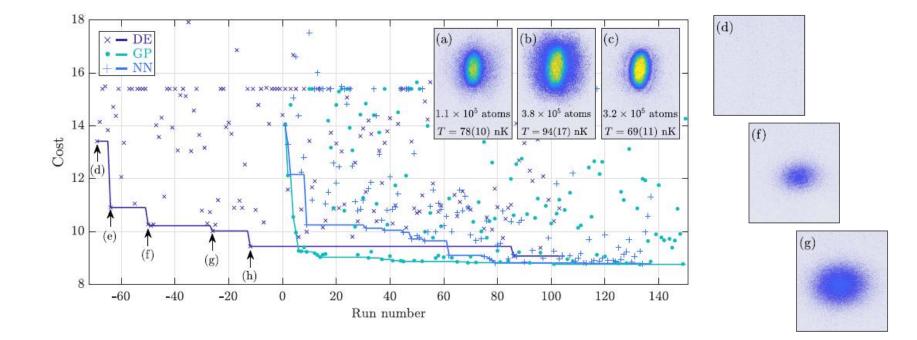


# Optimisation of evaporative cooling

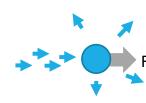


 Optimising using Gaussian Process gives fast convergence and allows the most important parameters to be determined.

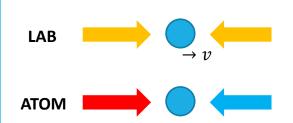
## Benchmarking the Gaussian Process



#### Laser cooling



- Photons have momentum ħk.
- Absorption from a welldefined direction.
- Re-emission in a random direction.
- Net force applied.

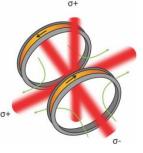


- Atoms scatter photons within a narrow range of frequencies.
- Use doppler shift to favour absorption from laser beam opposite to direction of travel.



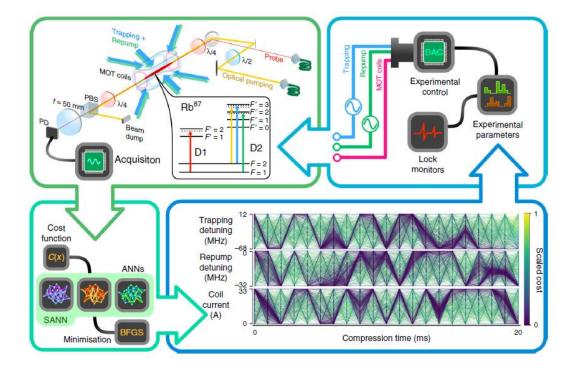


- To make a trap, apply a magnetic field gradient.
- Detuning becomes spatially dependent through the zeeman effect.



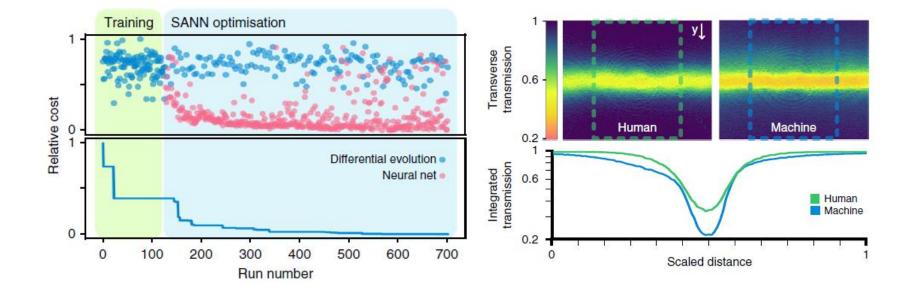


### Optimisation of laser cooling



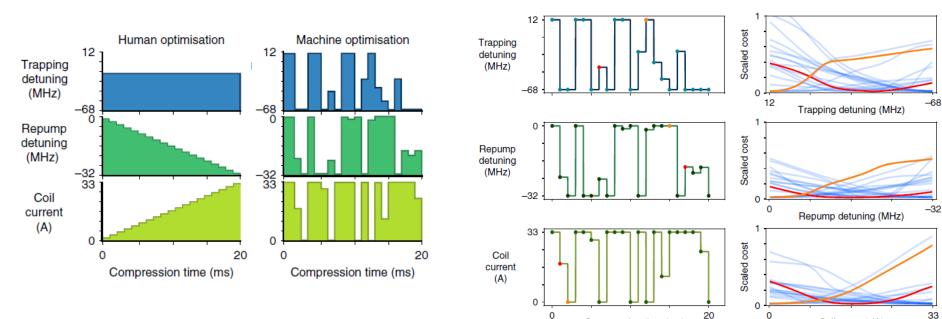
- 3 control variables:
  - Cooling light detuning
  - Repumping light detuning
  - Magnetic field gradient
- Separated into 21 time bins
- 21x3=63 total parameters
- Optimise **optical density**.
- Absorption through cloud measured using a photodiode.
- Use 3 Neural networks to model behaviour of experiment.





### Optimisation of laser cooling

ML produces a better sequence, with entirely unpredicted features.



Coil current (A)

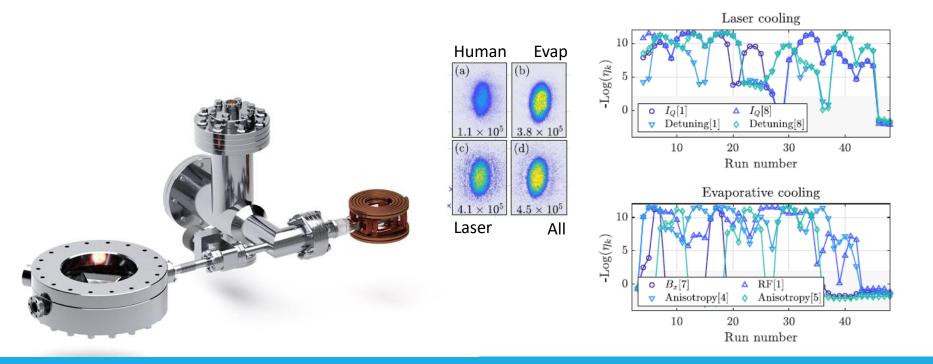
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Compression time (ms)

0

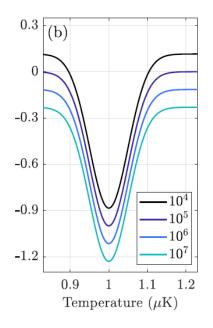
### Multi-stage optimisation

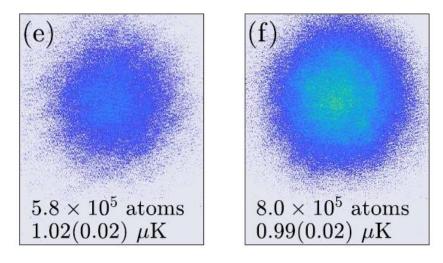
- We perform a full optimisation of all stages of our apparatus.
- First, use Gaussian Process to reduce the parameter space.
- Optimise most important parameters from each stage.



### Tailoring the cost function

 Easily re-optimise for specific scenarios – just redefine the cost function to suit goal!

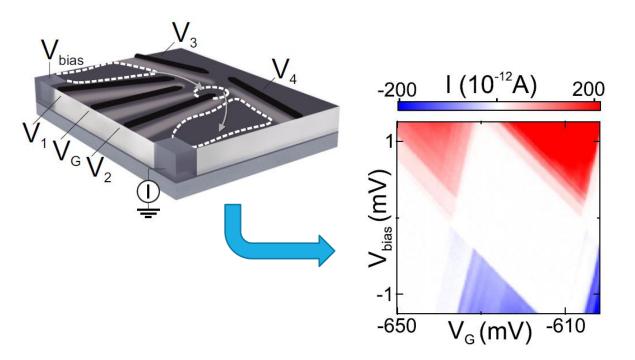




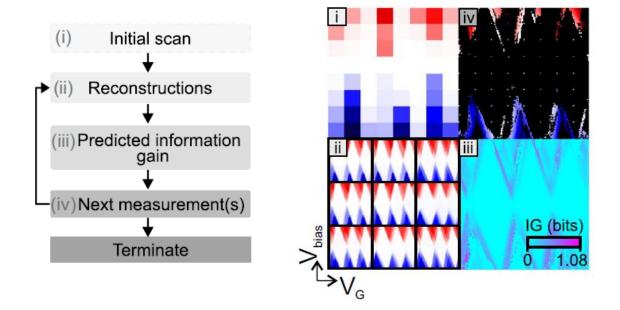
Here: maximise atom number at a desired temperature.

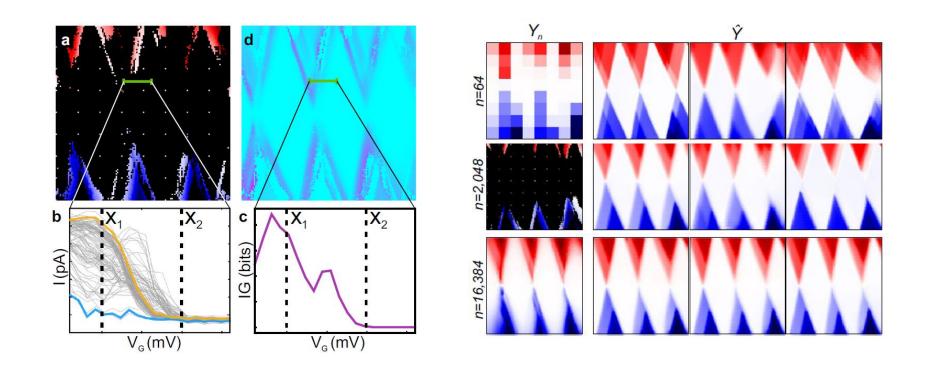
# Machine learning: characterisation

FAST AND EFFICIENT EVALUATION OF DEVICES



- Goal: to accurately characterise a quantum device with as few measurements as possible.
- Device characterised by measuring conductance for different electrode voltages.
- What measurements should we make to extract the largest possible amount of information?

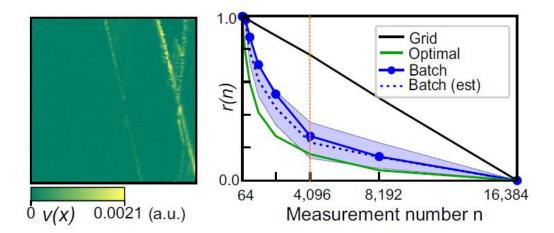




• Define gradient:

$$v(x) = \sqrt{\left(\frac{\partial I(x)}{\partial V_G}\right)^2 + \left(\frac{\partial I(x)}{\partial V_{bias}}\right)^2}$$

Define information content:  $r = 1 - \frac{\Sigma_m v(m)}{\Sigma v(m)}$ 



The ML performance is close to optimal, it greatly outperforms a simple raster scan.

#### Conclusions

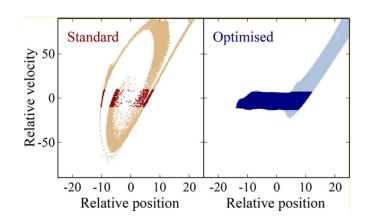
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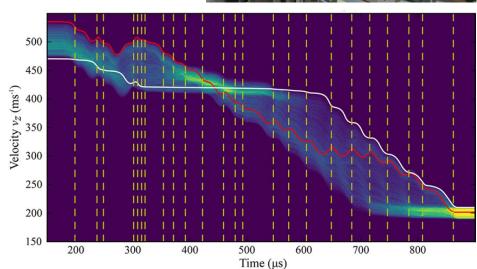
# Thank you for listening

QUESTIONS

### Zeeman Deceleration:

- Optimise the cooling of atoms using applied pulsed ma
- Evolutionary algorithm
- o 60-fold increase in the flux of cooled atoms!







# More detail on the cost function

